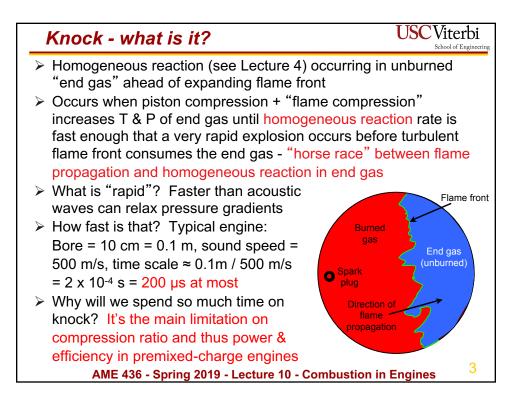
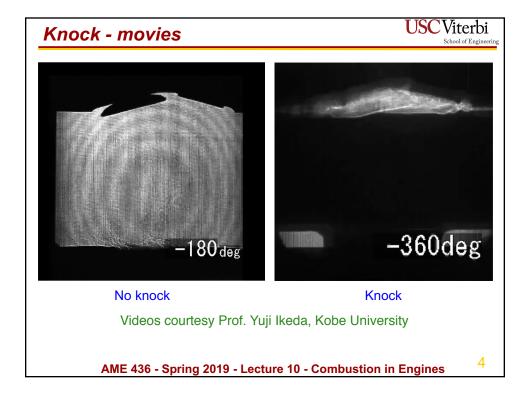
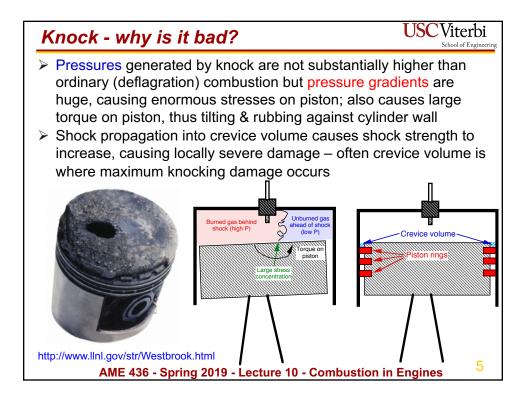
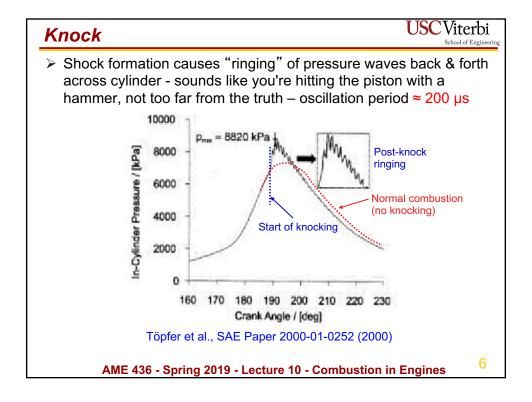


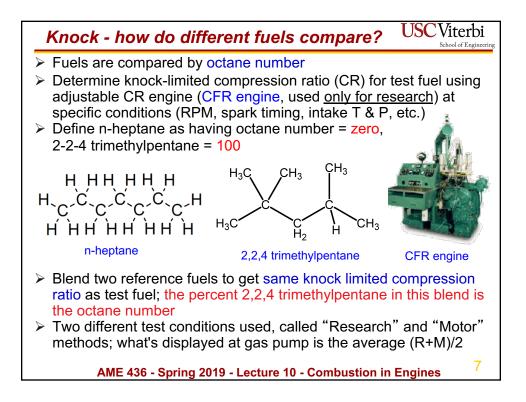
Outline	USC Viterbi School of Engineering
 Combustion in engines Knock Sidebar topic: HCCI engines Misfire / flammability limits 	
AME 436 - Spring 2019 - Lecture 10 - Combustion in I	- 2

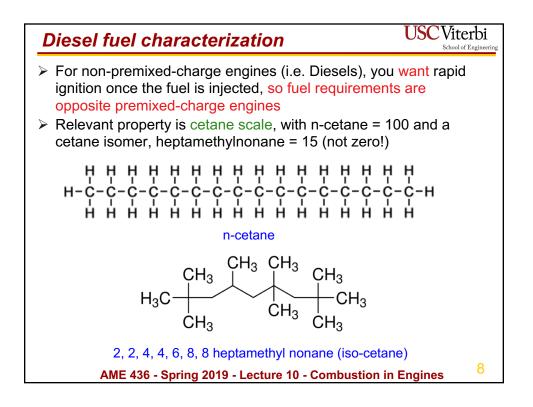


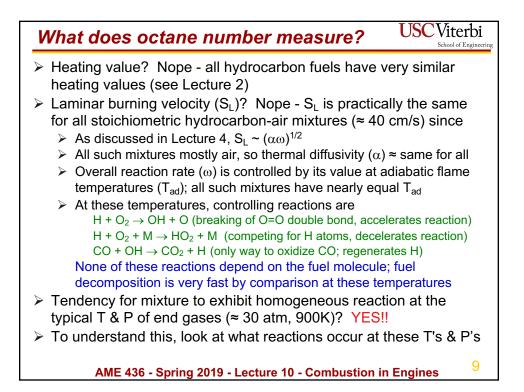


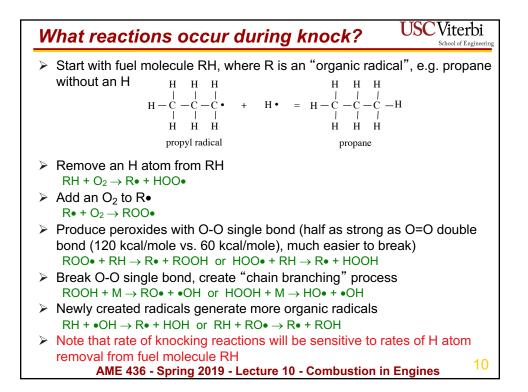


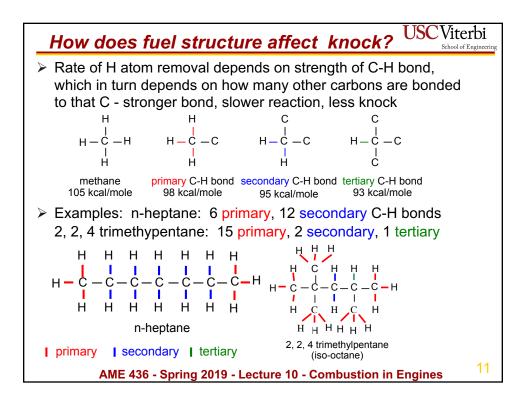


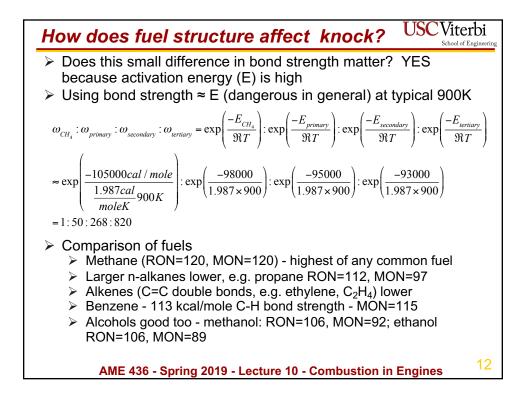


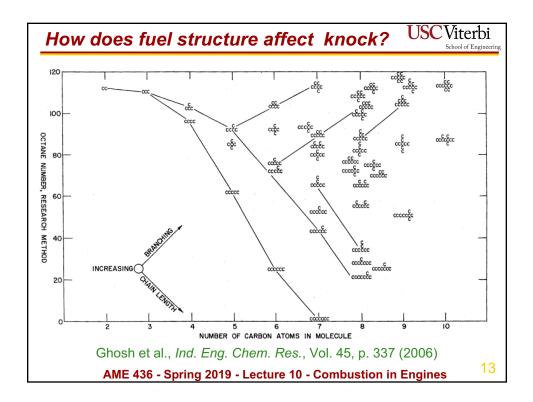


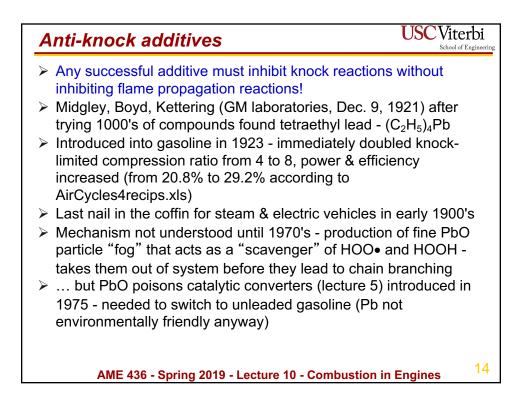


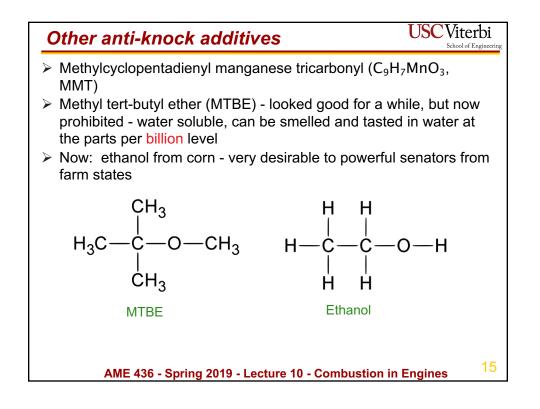


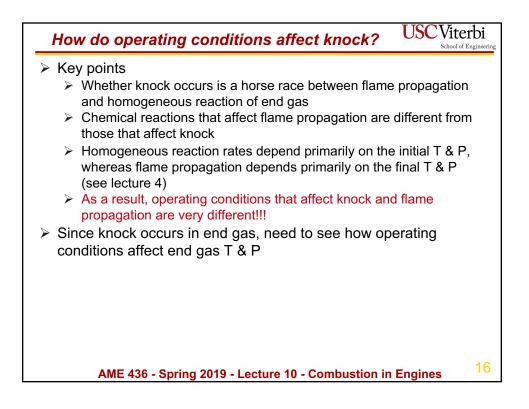




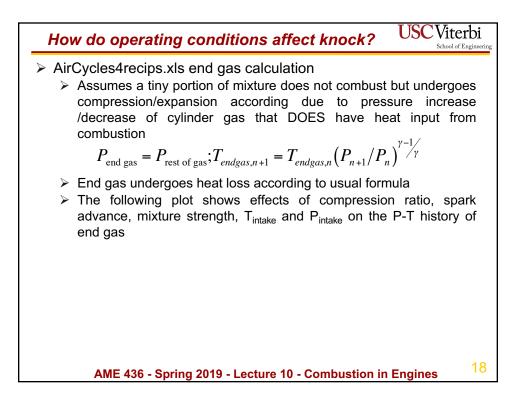


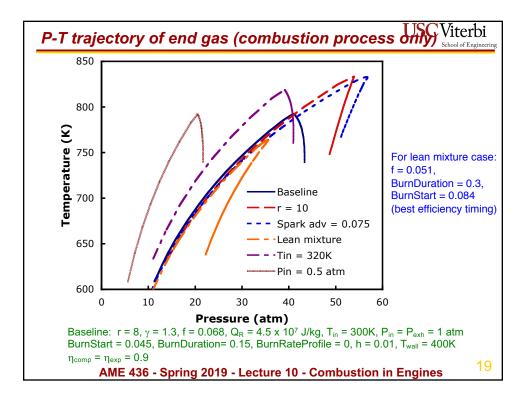




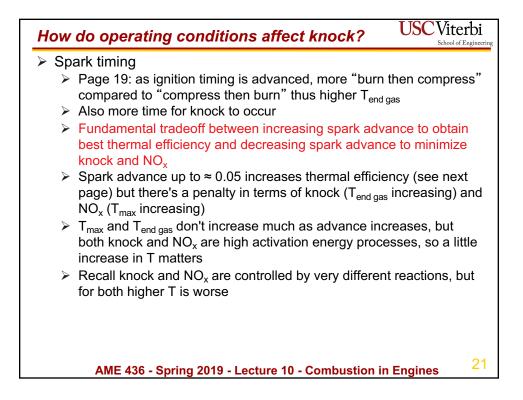


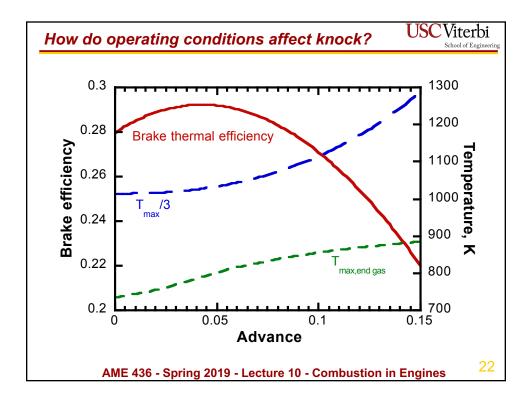
Viterbi How do operating conditions affect knock? School of Engineering > Simple estimate of maximum T & P of end gas in terms of intake conditions T2, P2 and compression ratio r - assume adiabatic compression, constant-v combustion, reversible adiabatic compression of end gas to (maximum) pressure P₄ Isentropic compression: $P_3 = P_2 r^{\gamma}$; $T_3 = T_2 r^{\gamma-1}$ Constant-volume combustion: $T_4 = T_3 + fQ_R / C_v = T_2 r^{\gamma-1} + fQ_R / C_v$ Ideal gas: $P_4 v_4 = RT_4, P_3 v_3 = RT_3, v_4 = v_3 \implies P_4 = P_3 (T_4/T_3) = P_{\text{end gas (max)}}$ $P_{\text{end gas (max)}} = P_3 (T_4 / T_3) = P_2 r^{\gamma} [(T_3 + fQ_R / C_v) / T_3] = P_2 r^{\gamma} [1 + fQ_R / C_v T_2 r^{\gamma-1}]$ $T_{\text{end gas (max)}} = T_2 \left(P_4 / P_2 \right)^{\gamma - 1/\gamma} = T_2 \left(r^{\gamma} \left[1 + f Q_R / C_{\nu} T_2 r^{\gamma - 1} \right] \right)^{\gamma - 1/\gamma}$ $= T_2 \left(r^{\gamma - 1} \left[1 + f Q_R / C_{\nu} T_2 r^{\gamma - 1} \right]^{\gamma - 1/\gamma} \right)$ 17 AME 436 - Spring 2019 - Lecture 10 - Combustion in Engines

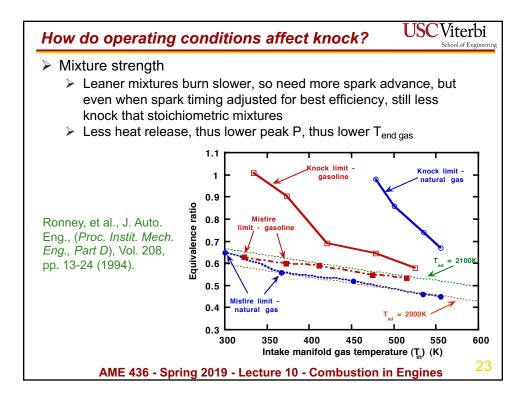


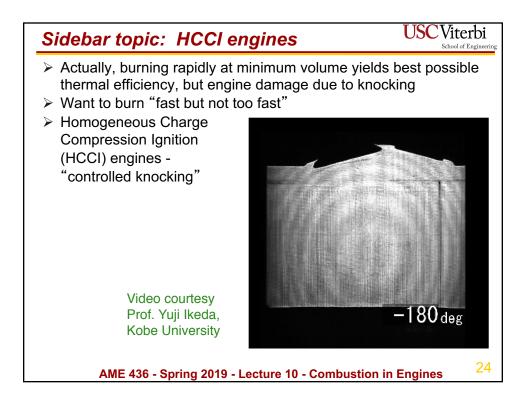


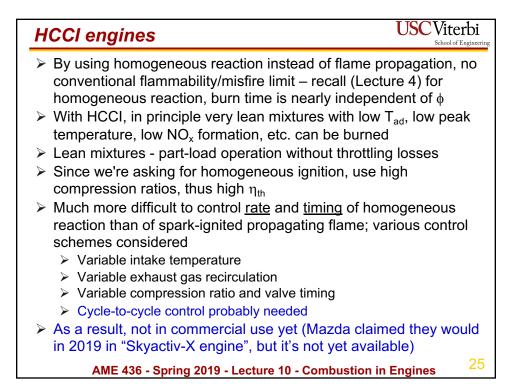
 Compression ratio As r ↑, T_{end gas} ↑ and P_{end gas} ↑, thus knock tendency ↑ Recall d[fuel]/dt ~ Pⁿexp(-E/ℜT), (n = order of reaction, E = activation energy) thus both P and T affect knock P increases more than T, but reaction rate is more sensitive to T than P Intake temperature: increasing T_{intake} increases T_{end gas}, thus knock tendency ↑↑↑ (your car knocks more on a hot day) Intake pressure: increasing P_{intake} increases P_{end gas}, thus knock tendency ↑↑↑ (your car knocks when you put your foot to the floor) Engine RPM Most important effect is less time available for knock to occur At higher RPM, more turbulence, S_T increases, time needed for flame propagation to occur decreases but turbulence has no effect on time for homogeneous reaction of end gas "Horse race" favors flame propagation horse at higher RPM 	How do operating conditions affect knock? USCViterbi	
 Most important effect is less time available for knock to occur At higher RPM, more turbulence, S_T increases, time needed for flame propagation to occur decreases but turbulence has no effect on time for homogeneous reaction of end gas 	 > As r ↑, T_{end gas} ↑ and P_{end gas} ↑, thus knock tendency ↑ > Recall d[fuel]/dt ~ Pⁿexp(-E/ℜT), (n = order of reaction, E = activation energy) thus both P and T affect knock > P increases more than T, but reaction rate is more sensitive to T than P > Intake temperature: increasing T_{intake} increases T_{end gas}, thus knock tendency ↑↑↑ (your car knocks more on a hot day) > Intake pressure: increasing P_{intake} increases P_{end gas}, thus knock tendency ↑ (your car knocks when you put your foot to the floor) 	
20	 Most important effect is less time available for knock to occur At higher RPM, more turbulence, S_T increases, time needed for flame propagation to occur decreases but turbulence has no effect on time for homogeneous reaction of end gas 	

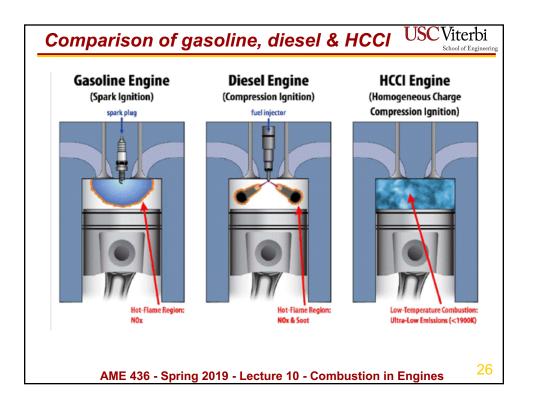


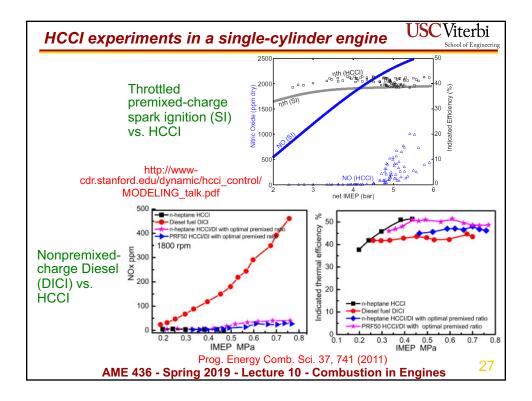


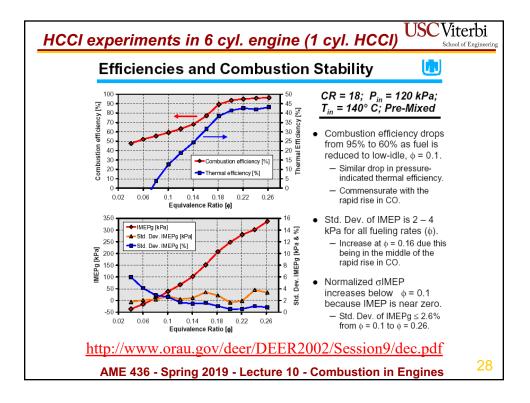


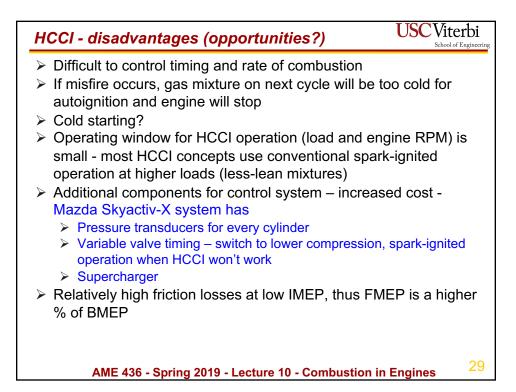




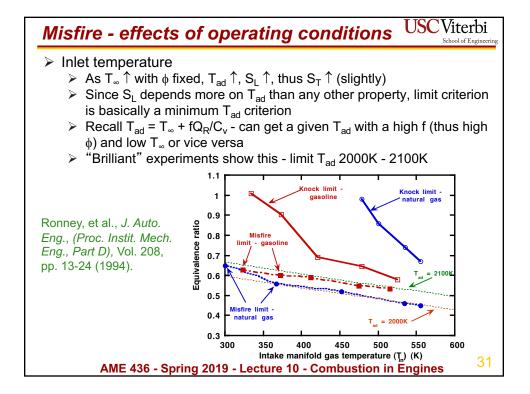








Misfire / ignition limits USC	Viterbi School of Engineering
 > If an engine operates too lean or too rich, engine will operate roughly, misfire and may quit altogether > The misfire limit is usually defined by a certain % standard deviation in IMEP > With conventional spark ignition premixed-charge engines, limit at \$\phi\$ ≈ 0.65 - 0.75, whereas in laboratory experiments \$\phi\$ ≈ 0.5 > Why the difference? In the laboratory, the mixture can take long as it wants to burn, whereas in engine, limited time ~ available for burning - minimum turbulent burning velocity (requirement > To avoid misfire > Increase burning velocity (S_T) > Increase time available for burning > Decrease time needed for burning 	misfire typically e as 1/N
AME 436 - Spring 2019 - Lecture 10 - Combustion in Engine	s 30



Misfire - effects of operating conditions USC Viterbi
 Intake pressure Recall S_L ~ P^{(n-2)/2}, with n ≈ 1.2, not much effect but as P_{intake} decreases, more exhaust gas (at 1 atm) relative to fresh mixture (at P < 1 atm), so more dilution of fresh mixture, thus lower T_{ad}, lower S_L, thus, more misfire at throttled conditions Turbulence: more turbulence, higher S_T - helps limit problem, but recall too much turbulence may extinguish flame! Engine RPM (N) Time available for burning ~ 1/N But u' ~ u_{piston} ~ N and S_T ~ u' So (time available for burning)/(time needed) ≈ constant But actually S_T ~ u'^(1-c), so more misfire at higher N Multiple spark plugs: reduces distance each evolving flame kernel must propagate, less chance of misfire Knock additives, e.g. (C₂H₅)₄Pb: no effect (affects knock reactions, not flame propagation reactions)
AME 436 - Spring 2019 - Lecture 10 - Combustion in Engines 32

USC Viterbi School of Engineering

For the Otto cycle example in Lecture 9 with r = 9, $\gamma = 1.3$, M = 0.029 kg/mole, f = 0.062, $Q_R = 4.3 \times 10^7$ J/kg, $T_2 = 300$ K, $P_2 = P_{in} = 0.5$ atm, $P_6 = P_{ex} = 1$ atm, h = 0, $\eta_{comp} = \eta_{exp} = 0.9$, determine the end gas temperature and pressure

If this were an ideal cycle we could use the formula on page 16, i.e.

$$P_{\text{end gas (max)}} = P_2 r^{\gamma} \left[1 + f Q_R / C_{\nu} T_2 r^{\gamma - 1} \right]$$

= $(0.5atm) (9^{1.3}) \left[1 + \frac{(0.062) (4.3 \times 10^7 J / kg)}{(955.6J / kgK) (300K) (9^{1.3-1})} \right] = 50.5atm$
 $T_{\text{end gas (max)}} = T_2 (P_4 / P_2)^{\gamma - 1/\gamma} = (300K) (50.5atm/0.5atm)^{1.3-1/1.3} = 870.5K$

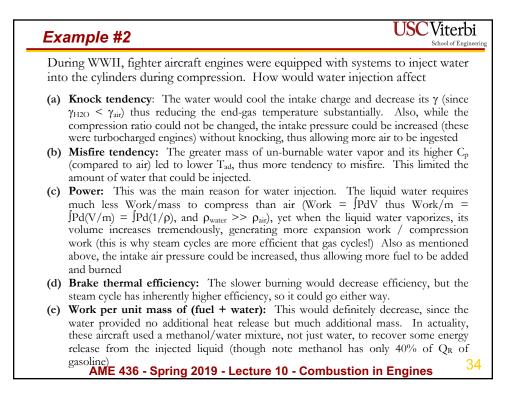
But since this is not an ideal cycle we compress the end gas isentropically from its pressure (9.165 atm) and temperature (611K) after compression to the pressure after combustion (51.02 atm), i.e.

$$T_{\text{end gas (max)}} = T_3 (P_4 / P_3)^{\gamma - 1/\gamma} = (611K) (51.02 atm/9.165 atm)^{1.3 - 1/1.3} = 908K$$

which is not much different.

Example #1

AME 436 - Spring 2019 - Lecture 10 - Combustion in Engines



Summary	USC Viterbi
 Knock Rapid homogeneous reaction in "end gas" ahead of the "Horse race" between knock (bad) and flame propagation. Knock tendency depends on reaction rates at initial The composition of reactants (end gas), flame propagation final (burned gas) temperature, so factors affecting known propagation are very different. Knock tendency characterized by octane number - hig resistant to homogeneous reaction. Diesel fuels - opposite characteristics desired. Misfire / flammability limits. Due to insufficient time to burn - roughly corresponds. Depends on required propagation time (~ d/S_T) vs. av (~1/N). 	ation (good) , P & n depends on nock & flame gher ON, more to fixed T _{ad}
AME 436 - Spring 2019 - Lecture 10 - Combustion in I	Engines 35