

AME 101, Fall 2016
Midterm exam #1 review
10/18/16

The material on the exam may include the material up through and including Chapter 4 (Statics) but not Chapter 5 (materials and stresses). The material through Chapter 4 includes:

- Units
 - Base and derived
 - USCS and SI
 - $g_c = \frac{32.174 \text{ lbm} \cdot \text{ft}}{\text{lbf} \cdot \text{sec}^2} = 1$ in USCS units – useful if you have lbm and lbf, you can eliminate both this way
 - $g_c = 1$ in SI units (not needed since we use separate units, kg and N, for mass and force)
- Scrutiny
 - Smoke test – units
 - Function tests
 - Performance test
- Statics
 - Forces – vectors
 - Moments of forces
 - Static equilibrium – in 2D, a free body has 3 degrees of freedom (translation in x and y, rotation about axis orthogonal to x-y plane), so need 3 equations

$$\sum_{i=1}^n F_{x,i} = 0; \sum_{i=1}^n F_{y,i} = 0; \sum_{i=1}^n M_i = 0$$

Can also use $\sum_{i=1}^n F_{x,i} = 0; \sum_{i=1}^n M_{i,A} = 0; \sum_{j=1}^n M_{j,B} = 0$

or $\sum_{i=1}^n M_{i,A} = 0; \sum_{j=1}^n M_{j,B} = 0; \sum_{j=1}^n M_{j,C} = 0$

The choice of the points A, B and C is arbitrary – pick for convenience

- Types of boundary conditions – ropes/cables, rollers, pinned joints, fixed support, contact friction

First midterm from 2015 (the problems should look familiar)
(average score was 80.7/100)

Instructions:

80 minutes allowed. The exam is open book *to the extent of your own notes, homeworks and solutions, the optional Wickert textbook and the posted lecture notes only*. Calculators are allowed. Laptop computers are not allowed. Write your answers on the exam sheet; if you mess up or need more space, use the back sides of the pages.

Problem #1 (units) (15 points)

Water has a heat capacity (also called specific heat) of $1.00 \frac{\text{calorie}}{\text{gram}^\circ\text{C}}$. What is the heat capacity of

water in units of $\frac{\text{BTU}}{\text{lbm}^\circ\text{F}}$?

Problem #2 (units) (30 points)

The friction factor (f) for flow of a fluid with density ρ (units mass/volume), velocity U , in a pipe of length L and inside diameter d , resulting in a pressure drop ΔP , is defined as

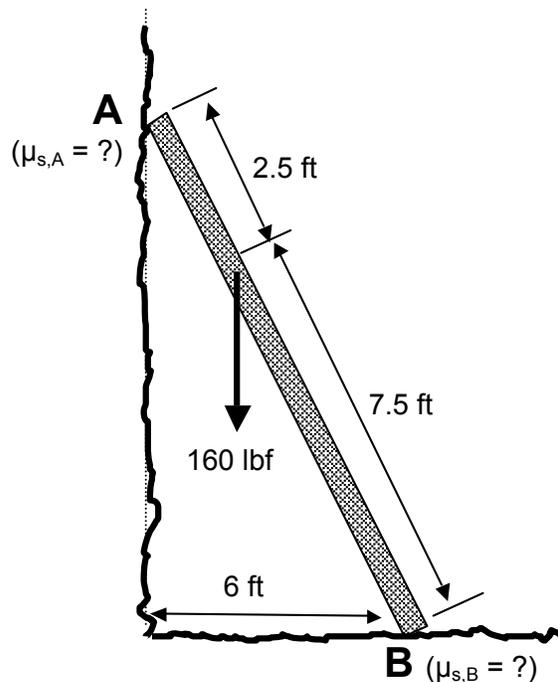
$$f = \frac{\Delta P}{\frac{\rho U^2 L}{2 d}}$$

- (a) (10 points) What are the units of the friction factor f ?
- (b) (20 points) For a fluid with density $\rho = 62.4 \text{ lbm/ft}^3$, velocity $U = 1 \text{ m/s}$, flowing in a pipe of length $L = 20 \text{ ft}$ and diameter $d = 1 \text{ inch}$, resulting in a pressure drop $\Delta P = 17.39 \text{ lbf/in}^2$, what is the friction factor f ?

Problem #3 (statics) (55 points total)

A 160 lbf individual stands 7.5 ft up a 10 foot long ladder whose base rests 6 ft away from the wall as shown in the figure. The ladder rests against a wall at point A and ground at point B. The coefficients of static friction (μ_s) will be different at points A and B for different parts of this problem. The ladder itself has negligible weight.

- a) (5 points) Draw **on the figure at right** all the forces acting on the ladder. How many **unknown** forces are there? List them.
- b) (15 points) For the case where there is friction at point B ($\mu_{s,B} \neq 0$), but no friction at point A ($\mu_{s,A} = 0$), write down a complete set of



equations (i.e. as many equations as unknowns) needed to find the unknown forces.

- c) (10 points) For this case, solve these equations to find all the forces acting on the ladder.
- d) (10 points) For the case of part (c) ($\mu_{s,A} = 0$), what is the minimum coefficient of static friction at point B ($\mu_{s,B}$) required to prevent the ladder from sliding?
- e) (5 points) If the weight on the ladder were increased from 160 lbf to 320 lbf, would the minimum coefficient of static friction required at point B increase, decrease or remain the same? You don't have to re-solve the problem, just state your answer and explain why. **No credit without explanation.**
- f) (10 points) Suppose instead of having $\mu_{s,B} \neq 0$ and $\mu_{s,A} = 0$ as already analyzed, you had $\mu_{s,A} \neq 0$ and $\mu_{s,B} = 0$. Could you prevent the ladder from sliding in this case? Why or why not? **No credit without explanation.**